

# Knowledge-Based AI Review

## Artificial Intelligence

1. In the context of propositional logic, define sentence.

**Solution:** An assertion about the world expressed in a \*\*knowledge representation language\*\*, like propositional logic.

2. In the context of propositional logic, define knowledge base.

**Solution:** A set of sentences.

3. In the context of propositional logic, define axiom.

**Solution:** Sentences taken as given – not derived from other sentences, assumptions.

4. In the context of propositional logic, define inference.

**Solution:** Deriving new sentences from old sentences.

5. Define grounding.

**Solution:** Connection between logical reasoning and the real environment. How do we know that KB is true in the real world.

6. Define entailment.

**Solution:** Entailment:  $\alpha \models \beta$ :  $\beta$  follows logically from  $\alpha$ . Formally:

$$\alpha \models \beta \text{ if and only if } M(\alpha) \subseteq M(\beta)$$

7. In the context of logical reasoning, define model.

**Solution:** A model is a formal specification of a possible world, that is, a set of assignments of values to the variables in the sentences of a knowledge base.

8. In the context of logical reasoning, define model checking.

**Solution:** Model checking is enumerating all models and showing that a sentence is valid, that is, the sentence holds in all models.

9. List two methods of establishing the truth of a logical sentence.

**Solution:** Model checking and theorem proving.

10. Define satisfiability.

**Solution:** A sentence is **satisfiable** if it is true in, or satisfied by, **some** model

11. How does logical theorem proving work?

**Solution:** Applying rules of inference directly to the sentences in our knowledge base to construct a proof of the desired sentence without consulting models.

12. Translate the following English sentence into first-order logic: “All that glitter is not gold.”

**Solution:**  $\forall x, Glitters(x) \implies \neg Gold(x)$

13. Translate the following English sentence into first-order logic: “There’s someone for everyone.”

**Solution:**  $\forall x, \exists y, IsFor(y, x)$

14. Express the following English sentence in a formal ontological knowledge representation language: “A hot dog is a sandwich.”

**Solution:**  $Sandwich(HotDog)$ , or  $HotDog \in Sandwiches$ .